

Upper limit on the chiral magnetic effect in isobar collisions at the Relativistic Heavy-Ion Collider

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The chiral magnetic effect (CME) is a phenomenon that arises from the QCD anomaly in the presence of an external magnetic field. The experimental search for its evidence has been one of the key goals of the physics

program of the Relativistic Heavy-Ion Collider. The STAR Collaboration has previously presented the results of a blind analysis of isobar collisions ($^{96}\text{Ru} + ^{96}\text{Ru}$, $^{96}\text{Zr} + ^{96}\text{Zr}$) in the search for the CME. The isobar ratio (Y) of CME-sensitive observable, charge separation scaled by elliptic anisotropy, is close to but systematically larger than the inverse multiplicity ratio, the naive background baseline. This indicates the potential existence of a CME signal and the presence of remaining nonflow background due to two- and three-particle correlations, which are different between the isobars. In this postblind analysis, we estimate the contributions from those nonflow correlations as a background baseline to Y , utilizing the isobar data as well as Heavy Ion Jet Interaction Generator simulations. This baseline is found consistent with the isobar ratio measurement, and an upper limit of 10% at 95% confidence level is extracted for the CME fraction in the charge separation measurement in isobar collisions at $\sqrt{s_{\text{NN}}} = 200$ GeV.

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Introduction. The chiral magnetic effect (CME) refers to an electric current (charge separation of produced particles) along the strong magnetic field produced in relativistic heavy-ion collisions due to chirality-imbalanced, parity, and charge-parity odd metastable domains [1]. The formation of such domains has been predicted by quantum chromodynamics (QCD) to occur at high temperatures in those collisions because of vacuum fluctuations [2–5] and may be pertinent to the matter-antimatter asymmetry of our universe [6].

To measure charge separation, three-point correlators,

$$\begin{aligned}\gamma_{\alpha\beta} &= \langle \cos(\phi_\alpha + \phi_\beta - 2\psi_{\text{RP}}) \rangle \\ \Delta\gamma &= \gamma_{\text{OS}} - \gamma_{\text{SS}},\end{aligned}\quad (1)$$

are used [7]. The terms $\phi_{\alpha,\beta}$ represent the azimuthal angles (in the plane perpendicular to the beam axis) of particles of interest (α, β), which are of either opposite sign (OS) or same sign (SS) in electric charge. The average $\langle \dots \rangle$ is taken over particle pairs and events. The azimuthal angle of the reaction plane ψ_{RP} , defined by the beam and impact parameter directions, is used here because the magnetic field direction fluctuates about ψ_{RP} . The ψ_{RP} is only a theoretical concept, experimentally unmeasurable. It can be approximately determined by the spectator plane ψ_{SP} , measured by the spectator neutrons, which is more pertinent to the direction of the magnetic field, mainly produced by the spectator protons. The ψ_{RP} is often surrogated by the second azimuthal harmonic plane ψ_2 reconstructed by final-state particle distributions [8], which fluctuates about ψ_{RP} . While charge-independent backgrounds are canceled in $\Delta\gamma$, backgrounds remain from two-particle (2p) correlations coupled with the elliptic flow of those correlation sources, such as resonances and jets [7,9–11]. These backgrounds dominate charge separation measurements at the Relativistic Heavy-Ion Collider (RHIC) [12–20] and the Large Hadron Collider (LHC) [21–24].

To eliminate backgrounds, isobar $^{96}\text{Ru} + ^{96}\text{Ru}$ and $^{96}\text{Zr} + ^{96}\text{Zr}$ collisions at nucleon-nucleon center-of-mass energy of $\sqrt{s_{\text{NN}}} = 200$ GeV were conducted in a single-year data collection (2018) by the Solenoid Tracker At RHIC (STAR) [25]. Due to the identical mass number, backgrounds were expected to be equal in those collision systems, whereas an appreciable CME signal difference would exist because of the different atomic numbers responsible for the magnetic field [26,27]. However, contrary to expectations, the isobar data [25] show that the two systems have different background

contributions: the two isobars differ by up to a few percent in the produced charged particle multiplicities (4.4%) and the elliptic flows (1.4%). These differences are consistent with energy density functional calculations of the nuclear structures, resulting in a smaller Ru nucleus than the Zr nucleus [28–30]. Although the $\Delta\gamma/v_2$ was constructed to account for the elliptic flow (parameterized by v_2) difference, the isobar (Ru + Ru/Zr + Zr) ratio of the $\Delta\gamma/v_2$ measurements, $Y \equiv \frac{(\Delta\gamma/v_2^*)^{\text{Ru}}}{(\Delta\gamma/v_2^*)^{\text{Zr}}}$, was smaller than unity due to the multiplicity difference that was not considered in the blind analysis [25].

If the number of correlation sources is proportional to multiplicity, then Y would be equal to the isobar ratio of the inverse multiplicity ($1/N$) for a pure flow-driven background scenario. A quantitative comparison shows that Y is slightly larger than the $1/N$ ratio [25], indicating the potential presence of a CME signal [31]. However, the measurement of the relative pair excess $r = (N_{\text{OS}} - N_{\text{SS}})/N_{\text{OS}}$ [25] indicates a violation of such proportionality, which is one indication that this naive baseline is not strictly correct. In order to search for any residual signals of CME, a more rigorous evaluation of the background baseline is necessary, which is the main goal of this Letter. Further details of the background assessment analysis can be found in the long companion paper [32].

Refined baseline. In off-center heavy-ion collisions, the azimuthal distribution of final-state particles is anisotropic because of the anisotropic expansion of the collision fireball [33]. The second azimuthal harmonic, elliptic flow, is used to reconstruct ψ_{RP} , the accuracy of which is corrected by a resolution factor [8]. Equivalent to Eq. (1) with ψ_2 , but more directly, γ can also be calculated using the three-particle (3p) correlator [13], $C_{3,\alpha\beta} = \langle \cos(\phi_\alpha + \phi_\beta - 2\phi_c) \rangle$ and $\gamma_{\alpha\beta} = C_{3,\alpha\beta}/v_2$, where v_2 is the elliptic flow of particles of type c , which are usually taken as all charged hadrons in a given detector acceptance. The background contribution to $\Delta\gamma/v_2$ from intrinsic 2p and 3p correlation can be expressed [34] as

$$\frac{\Delta\gamma_{\text{bkgd}}}{v_2^*} = \frac{C_{2\text{p}}}{N} \frac{v_2^2}{v_2^{*2}} + \frac{C_{3\text{p}}}{N} \frac{1}{N_c v_2^{*2}} = \frac{C_{2\text{p}}}{N} \frac{1 + \frac{C_{3\text{p}}/C_{2\text{p}}}{N v_2^2}}{1 + \epsilon_{\text{nf}}}, \quad (2)$$

where

$$\frac{C_{2\text{p}}}{N} = \frac{N_{2\text{p}}}{N_{\text{OS}}} \left(C_{2\text{p,OS}} \frac{v_{2,2\text{p}}}{v_2} - \frac{\gamma_{\text{SS}}}{v_2} \right), \quad (3)$$

$$\frac{C_{3\text{p}}}{N} = \frac{N_{3\text{p,OS}}}{N_{\text{OS}}} C_{3\text{p,OS}} - \frac{N_{3\text{p,SS}}}{N_{\text{SS}}} C_{3\text{p,SS}}. \quad (4)$$

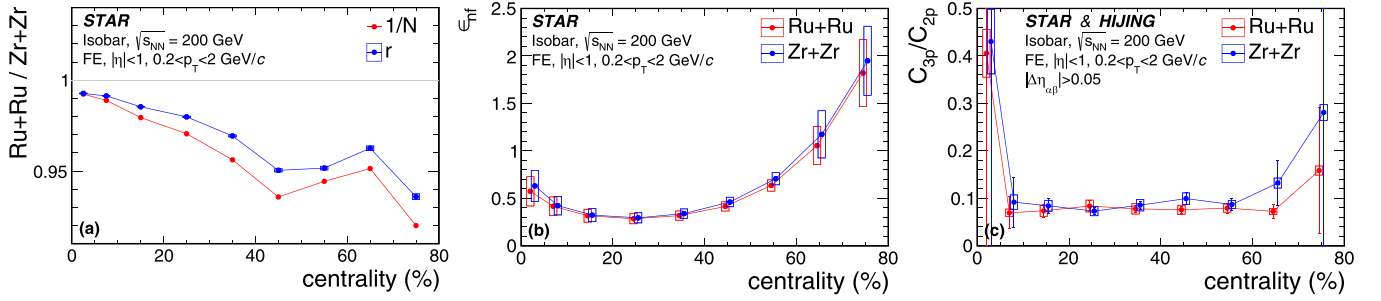


FIG. 1. (a) Isobar ratio of $r \equiv (N_{OS} - N_{SS})/N_{OS}$ and inverse multiplicity ($1/N$); (b) nonflow v_2 contamination ϵ_{nf} ; (c) C_{3p}/C_{2p} where C_{3p} is estimated using HIJING and C_{2p} is from ZDC measurement in Ref. [25]. All quantities in these plots use Group-3 full-event (FE) cuts from [25]; other cuts give similar results.

The notation $C_{2p,OS} = \langle \cos(\phi_\alpha + \phi_\beta - 2\phi_{2p}) \rangle_{2p,OS}$ refers to those correlated background pairs only, where ϕ_{2p} is the azimuth of the pair, N_{OS} and N_{SS} are OS and SS pair multiplicities, and $N_{2p} \equiv N_{OS} - N_{SS}$. Similarly, $C_{3p,OS} = \langle \cos(\phi_\alpha + \phi_\beta - 2\phi_c) \rangle_{3p,OS}$ and $C_{3p,SS}$ refer to those correlated background triplets only, where $N_{3p,OS}$ and $N_{3p,SS}$ are their triplet multiplicities. N is the multiplicity of particles of interest (POI), and N_c is that of particle c (in this analysis $N = N_c$). The v_2 and $v_{2,2p}$ refer to the true elliptic flow of POIs and those correlated 2p sources, respectively. The quantity v_2^* refers to the measured elliptic flow, which contains nonflow correlations unrelated to the global collision geometry. The equation,

$$\epsilon_{nf} = (v_2^*/v_2)^2 - 1, \quad (5)$$

quantifies the relative nonflow contamination.

The isobar ratio can then be decomposed into

$$\begin{aligned} Y_{bkgd} &\equiv \frac{(\Delta\gamma_{bkgd}/v_2^*)^{Ru}}{(\Delta\gamma_{bkgd}/v_2^*)^{Zr}} \\ &\approx 1 + \frac{\delta(C_{2p}/N)}{C_{2p}/N} - \frac{\delta\epsilon_{nf}}{1 + \epsilon_{nf}} \\ &\quad + \frac{1}{1 + \frac{Nv_2^2}{C_{3p}/C_{2p}}} \left(\frac{\delta C_{3p}}{C_{3p}} - \frac{\delta C_{2p}}{C_{2p}} - \frac{\delta N}{N} - \frac{\delta v_2^2}{v_2^2} \right), \quad (6) \end{aligned}$$

where $\delta X \equiv X^{Ru} - X^{Zr}$ for any $X = C_{3p}, C_{2p}$, etc., while all other quantities without “ δ ” refer to those in Zr + Zr. Equation (6) suggests categorizing the nonflow contributions to the background into three ingredients: (i) $\delta(C_{2p}/N)/(C_{2p}/N)$, which characterizes the relative difference of flowing clusters between the two isobars; (ii) differences that arise from using v_2^* rather than true flow in the calculation of $\Delta\gamma$, characterized by ϵ_{nf} ; (iii) differences in the relative amounts (or character) of three particle clusters between the isobars. In the next section we will discuss each of these three in turn. We note that global spin alignment of ρ mesons can introduce an additional background to the CME [35]. Effect of such a background on isobar measurements needs to be assessed in future studies.

Analysis. The isobar blind analysis [25] presented seven different measurements of $\Delta\gamma/v_2$ from four groups; four of these measurements utilized the 2p cumulants for the v_2 measurement and the 3p correlators for $\Delta\gamma$. The other three employed the event-plane method, which is similar, but the

nonflow effects are more complicated to assess. We focus on the four cumulant measurements with their corresponding analysis cuts with subtle differences. The same event selections and track quality cuts are used as those in the isobar blind analysis [25].

The background baseline estimate of Eq. (6) requires three ingredients. The first ingredient $\delta(C_{2p}/N)/(C_{2p}/N)$, which is related to 2p nonflow, is primarily determined by N_{2p}/N_{OS} , since $(C_{2p,OS}v_{2,2p} - \gamma_{SS})/v_2$ (dominated by the first term) should be highly similar between the isobar systems. We analyze $r \equiv N_{2p}/N_{OS}$ of identified pions as done in Ref. [25]. Since $(C_{2p,OS}v_{2,2p} - \gamma_{SS})/v_2$ likely depends on the pair invariant mass (m_{inv}), we take the average $\delta r/r$ over the entire m_{inv} range as the default and assess systematic uncertainties by considering the range $m_{inv} < 1 \text{ GeV}/c^2$ [32]. Figure 1(a) shows the isobar ratio of r as a function of centrality from the full-event analysis. For comparison, the efficiency-corrected inverse POI multiplicity ratio is also shown. The $\delta(C_{2p}/N)/(C_{2p}/N) \approx \delta r/r$ value averaged over 20–50 % centrality is on the order of -3% [32]. Consequently, the baseline Y_{bkgd} is altered by this amount from unity.

The second ingredient is the nonflow contamination in the v_2^* measurement. To estimate it, we fit the acceptance-corrected $(\Delta\eta, \Delta\phi)$ 2p correlations for SS pairs from the full-event analysis by $\Delta\eta$ -independent flow harmonics plus $\Delta\eta$ - and $\Delta\phi$ -dependent nonflow contributions [32]. The true flow is assumed to be the same for the OS and SS pairs. The fitted v_2 parameter, as an estimate of true v_2 , is approximately 5.5% in the 20–50 % centrality range, with a relative difference of approximately 2.2% between Ru + Ru and Zr + Zr collisions [32]. With the fitted v_2 , the ϵ_{nf} can be readily calculated from the v_2^* cumulant measurements [25]. The v_2^* measurements used slightly different $\Delta\eta$ gaps and various methods; the full-event v_2^* from Group-2 applied Gaussian fits in $\Delta\eta$ to reduce short-range nonflow contributions [25]. The ϵ_{nf} value ranges from 18–34 % depending on the analysis methods. The systematic uncertainties on ϵ_{nf} are estimated by applying a different acceptance-correction method for the $(\Delta\eta, \Delta\phi)$ correlations [32], by comparing the calculated v_2^* from this analysis to those measured in Ref. [25], and by the observed 3% flow decorrelation over one unit of pseudorapidity based on a separate study from STAR [36]. The last source, common to both isobars, cancels in $\delta\epsilon_{nf}/(1 + \epsilon_{nf})$. Figure 1(b) shows ϵ_{nf} as a function of centrality from the full-event analysis without an η gap. The ϵ_{nf} value is smaller in Ru + Ru than

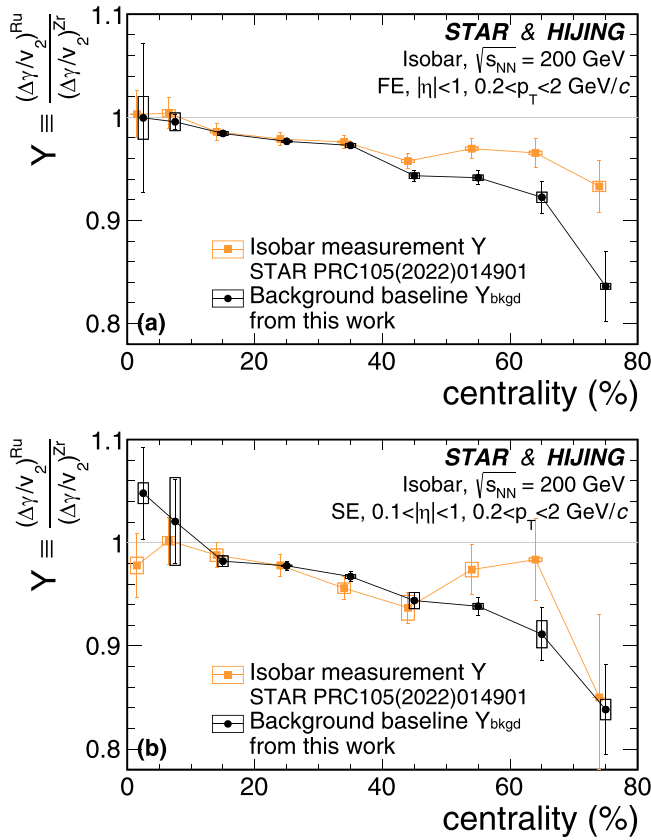


FIG. 2. Estimate of background baseline Y_{bkgd} for the isobar measurement $Y = \frac{(\Delta\gamma/v_2)^{\text{Ru}}}{(\Delta\gamma/v_2)^{\text{Zr}}}$ as a function of centrality for (a) the full-event (FE) analysis of Group 3 and (b) the subevent (SE) analysis of Group 2; others are similar.

in Zr + Zr because of the larger multiplicity dilution in the former; the actual nonflow correlation strength after factoring out the multiplicity difference is larger in Ru + Ru than Zr + Zr by approximately 2%. The $-\delta\epsilon_{\text{nf}}/(1 + \epsilon_{\text{nf}})$ value ranges from 0.6% to 1.5%, being smaller for subevent than for full event [32]. This correction increases Y_{bkgd} by this amount.

The third ingredient is the genuine 3p correlation background. As 3p correlation measurements are challenging to

measure due to the substantial combinatorial background in heavy-ion collisions, we resort to Heavy Ion Jet Interaction Generator (HIJING) simulations [37,38]. Since HIJING conserves charge and does not have flow, the inclusive 3p correlation from HIJING is in entirety the C_{3p} , purely from the correlated triplets. The C_{3p} from HIJING simulations with jet quenching is taken as default, and that from quenching-off simulations (about 20% higher) is considered as one side of the maximum systematic uncertainty (i.e., the quoted uncertainty is $1/\sqrt{3}$ of that) with the other side treated symmetrically [32]. The systematic uncertainties on $\delta C_{3p}/C_{3p}$ are assessed similarly. HIJING is found to give an adequate description of the peripheral data [32], suggesting that HIJING is a reliable estimator for C_{3p} .

The effect of 3p correlation on Y_{bkgd} also depends on C_{2p} . The C_{2p} value can be estimated directly from the corresponding zero-degree calorimeter (ZDC) measurements of $N\Delta\gamma/v_2$ because it largely eliminates v_2 nonflow and 3p correlations due to the large η gap between the ZDC and TPC. A one-sided -5% systematic uncertainty is assigned to account for any possibly small CME signal contained in the measurement. No ZDC measurement is available in Ref. [25] corresponding to the Group-2 subevent analysis cuts, so it is analyzed in this work to estimate C_{2p} . Figure 1(c) shows C_{3p}/C_{2p} as a function of centrality for the full-event analysis from approximately 7.0×10^9 HIJING events for each isobar. The relative strength of 3p to 2p correlations is on the order of 10%. The average contribution to Y_{bkgd} from 3p correlation backgrounds in 20–50 % centrality is around -1.3% .

Results. Figure 2 shows the estimated baseline as a function of centrality, along with the isobar data corresponding to the Group-3 full-event and Group-2 subevent analysis, respectively. The systematic uncertainty on the baseline is taken to be the quadratic sum of the uncertainties on the individual components as described above. Figure 3 depicts the Y measurements in the 20–50 % centrality range [25] together with our estimated baselines averaged over the same range. The three terms in the baseline [Eq. (6)] are averaged over centrality individually and then summed. The measured data are consistent with these estimated baselines over most of the centrality bins.

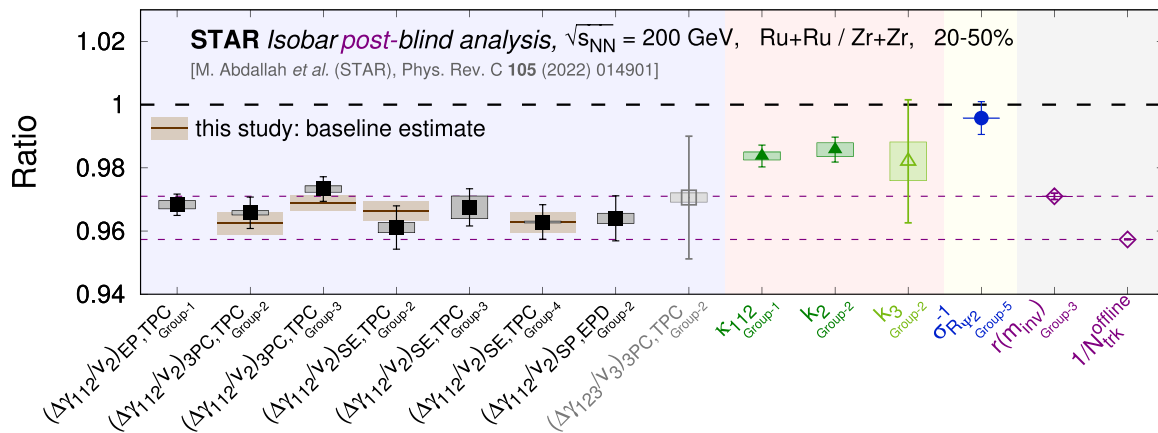


FIG. 3. Isobar measurements of Y from the STAR blind analyses [25], together with background baseline estimates for the four measurements that used the cumulant method.

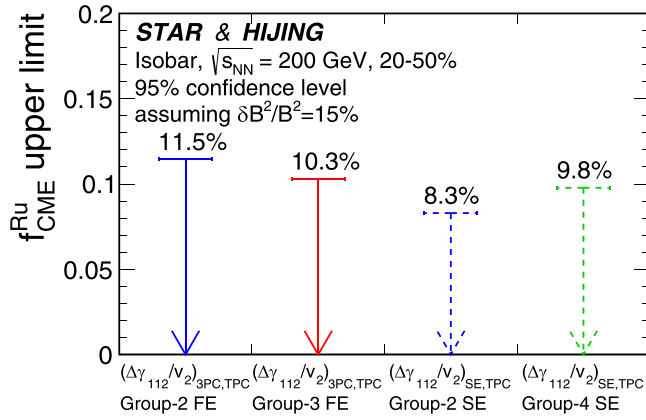


FIG. 4. The f_{CME} upper limits at 95% confidence level from Ru + Ru collisions for the four results in Fig. 3.

The differences, $Y - Y_{\text{bgd}}$, measure the purported CME signal. The baseline estimates partly come from data. These estimates are derived from quantities and/or methods different from the $\Delta\gamma/v_2$ measurements, so their statistical uncertainties are treated independently. The systematic uncertainties on the isobar measurements were assessed by varying analysis cuts, and were found to be significantly smaller than the statistical uncertainties [25]. We did not repeat those in the baseline calculation (Y_{bgd}) to avoid double counting in systematics, but instead propagate data systematic uncertainties to differences $Y - Y_{\text{bgd}}$ in quadrature.

Our results indicate that the CME signal difference in isobar collisions is consistent with zero within uncertainties. We therefore estimate the upper limit of the possible CME signals. The isobar difference in the magnetic field strengths makes it possible to extract CME signal by comparing the isobar collision systems. Assuming it results in a 15% difference in the CME $\Delta\gamma$ signal [39–41], then our results translate into an accuracy of a few percent on the CME signal fraction (f_{CME}) [32]. We extract an upper limit of $f_{\text{CME}} \sim 10\%$ at 95%

confidence level [42] for Ru + Ru collisions (Zr + Zr is similar). Figure 4 depicts those upper limits for the four results shown in Fig. 3.

Summary. We reexamine the isobar ratio $Y \equiv \frac{(\Delta\gamma/v_2)^{\text{Ru}}}{(\Delta\gamma/v_2)^{\text{Zr}}}$, which measures the charge separation due to the chiral magnetic effect (CME) in isobar collisions, and account for the background effects from multiplicity and nonflow correlations. We estimate the background baseline for Y by using 2p and 3p correlations from STAR isobar data and HIJING simulations. The estimated baselines agree with the STAR measurements [25]. We set an upper limit at the 95% confidence level on the CME fraction of $\sim 10\%$ in isobar collisions at $\sqrt{s_{\text{NN}}} = 200$ GeV at RHIC. This study provides a robust interpretation and a highly anticipated estimation of the remaining CME signal in the STAR isobar measurements.

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